Application of Machine Learning for the IPM-based beam profile reconstruction

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Outline



- Ionization Profile Monitors
- Profile distortion, previous approaches
- Virtual-IPM program
- High space charge regime: LHC beams
- Understanding profile distortion
- Correction using electron sieve
- Machine learning and Artificial Neural Networks
- Corrections based on Machine Learning
- IPM for micron-size beams using space charge
- Other examples of ML applications in instrumentation
- Conclusions

Introduction to IPMs

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- First constructed in Argonne National Laboratory to measure beam profile on Zero Gradient Synchrotron (ZGS) in 1967 (around the same time in Budker Institute)
- Measures transverse profile of a particle beam.
- Rest gas (pressure 10⁻⁸ mbar) is ionized by the beam.
- Electric field is used to transport electrons/ions to a detector.
- If electrons are used additional magnetic field is usually applied to confine their movement.



Fred Hornstra, Jr. and William H. DeLuca

Argonne National Laboratory Argonne, Illinois



LHC/SPS IPM

Ionization Profile Monitor (IPM):

- Measures transverse profile of particle beam.
- Rest gas (pressure 10⁻⁸ mbar) is ionized by the beam.
- Electric field is used to transport electrons/ions to a detector.
- If electrons are used additional magnetic field is usually applied to confine their movement.







Remark: New IPM detector technology

- Hybrid silicon pixel detector (in this case Timepix3)
- Relatively inexpensive
- Pixels 55x55 µm²
- Single chip 256x256 pixels



- Electron arrival time resolution: 1.56 ns
- Continuous measurement
- No capricious MCP
- Prototype working well on CERN PS
 - J. Storey et al., Proc. IBIC 2017(WEPCC07)
 - S. Levasseur et al., Proc of IPAC 2018(WEPAL075)



Profile distortion in IPM





... instrumental effects such as camera tilt, optical point-spread-functions, point-spread functions due to optical system and multi-channel plate granularity etc, etc... come on top!

Profile distortion in IPM





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Profile distortion without magnetic field (I)



- Effect already investigated in [W. DeLuca, IEEE 1969] (also observation of focusing when collecting electrons!)
- R.E.Thern,"Space-Charge Distortion in the Brookhaven Ionization Profile Monitor ", PAC 1987

 $\sigma_{\rm m} = \sigma + 0.302 \frac{{\rm N}^{1.065}}{\sigma^{2.065}} (1 + 3.6 {\rm R}^{1.54})^{-0.435}$

- simulations versus measurements
- quite good agreement for nominal extraction voltages
- doubts about accuracy of the correction due to disagreement for low extraction voltages
- W. Graves, "Measurement of Transverse Emittance in the Fermilab Booster", PhD 1994, - simulations with TOSCA2D

 $N = beam current in 10^{12} protons$

 σ = root-mean-square beam size in mm.

- proposed correction:

$$\sigma_{beam} = C_1 + C_2 \sigma_{measured} + C_3 N.$$



Fig. 4 Comparison of calculated and measured values of ion scatter as a function of electrode field strength.

Profile distortion without magnetic field (II)

J. Amundson, J. Lackey, P. Spentzouris, G. Jungman, L. Spentzouris "Calibration of the Fermilab Booster ionization profile monitor", PRSTAB 2003

- theoretical investigations (1st order): $\langle |y_{out}| \rangle = \langle |y_{in}| \rangle + KN\sigma_{real}^{-1/2}$,
- 2D simulations using OCTAVE
- 1st and 2nd order corrections investigated: $\sigma_{\text{measured}} = \sigma_{\text{real}} + C_1 N \sigma_{\text{real}}^{p_1} + C_2 N^2 \sigma_{\text{real}}^{p_2}$
- What if the beam is non-gaussian?
 - J. Egberts, "IFMIF-LIPAc Beam Diagnostics: Profiling and Loss Monitoring Systems", PhD 2012

 $P(x) = \frac{\beta}{2\alpha\Gamma(1/\beta)} e^{-(\frac{|x-\mu|}{\alpha})^{\beta}}$

- generalized gaussian distribution
- correction via matrix multiplication:

 $P_{corrected, I} = \Sigma_{j} (A_{i,j} P_{measured,j})$, where A=A(N, $\sigma_{measured}$, κ -kurtosis)

- if solution not found immediately - iterative, convergent process.



IPM simulation programs



- Since ~2012 looking for proper IPM simulation codes
- Available programs (CST, Geant4) missing features
- Many 'private' codes exists.
- Workshops on IPM simulations: CERN 2016, GSI 2017, J-PARC 2018 (Sep)

Name/Lab	Language	Ionization	Guiding	Beam		Tracking
			field	shape	field	
GSI code	C++	simple	uniform	parabolic	3D analytic	numeric
		DDCS	E,B	3D	relativ.	R-K 4 th order
PyECLOUD-BGI	python	realistic	uniform	Gauss	2D analytic	analytic
/CERN		DDCS E,B		3D	relativ. only	
FNAL	MATLAB	simple	3D map	arbitrary	3D numeric	num. MATLAB
		SDCS	E,B		relativ. (E and B)	rel. eq. of motion
ISIS	C++	at rest	CST map	arbitrary	2D numeric (CST)	numeric
			E only	(CST)	non-relativ.	Euler 2nd order
IFMIF	C++	at rest	Lorenz-3E map	General.	numeric (Lorenz-3E)	
			E only	Gauss	non-relativ.	
ESS	MATLAB	at rest	uniform	Gauss	3D numeric (MATLAB)	numeric
			E,B	3D	relativ.	MATLAB R-K
IPMSim3D	python	realistic	2D/3Dmap	Gauss	2D numeric (SOR)	numeric
/J-PARC		DDCS	E, B	3D	relativ. only	R-K 4 th order

M. Sapinski et al, Ionization Profile Monitor Simulations - Status and Future Plans, Proc. of IBIC 2016, (TUPG71)

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Virtual-IPM program

- After looking for a proper program we decided to write our own called Virtual-IPM
- Written in Python with modern, modular architecture
- GUI in Qt
- Covers: IPM, BIF, gas jets
- Publicly available as python module: <u>https://pypi.org/project/virtual-ipm</u>
- pip install virtual-ipm
- Code on gitlab: <u>https://gitlab.com/IPMsim/Virtual-IPM</u>







D. Vilsmeier, et al., *A Modular Application for IPM Simulations*, Proc. of IBIC17 (WEPCC07) and presentation at 1st ARIES Annual Meeting, Riga, May 2018





High space-charge regime: LHC beams

- Let's fix beam parameters the impact of various phenomena
 - for this beam maximum E-field is ~MV/m
 - we do simulate beam B-field, but its impact is small because electrons/ions move slowly
- IPM corresponding to LHC/SPS IPMs but with <u>Timepix3 detector resolution:</u>
 - distance between electrodes: 84 mm
 - U=4 kV (E=48 kV/m)
 - B=0.2 T
 - Spatial resolution (binning): 55 μm

Here "space charge" refers to bunch field impact on electrons – it scales with relativistic gamma.



σ_{x}	230 µm
σ_{y}	270 µm
N _{prot}	1.4 • 1011
$4\sigma_z$	1.1 ns
E _{beam}	6.5 TeV



Understanding distortion: ions



- The simplest device (no magnetic field)
- Tracked: H_2^+ ions



Conclusion: ion-based device too sensitive to beam space charge \rightarrow use electrons!







Immeditely try higher extraction fields (~ 1 MV/m)



Space charge smears the profile, but even without space charge, the initial electron velocities from ionization broaden the peak enormously.

Magnetic field is needed when using electrons with sum-mm beams.

Electron tracing – single turn B-field



- Magnetic field tuned to single turn: $B = \pi \sqrt{2 * m_e * E/(e * d)} = 11.3 \text{ mT}$
- Original idea in [F. Hornsta, M. Trump, PLACC 1970]



Disadvantages of tuning magnetic field to single turn:

- Sensitivity to vertical beam position
- Sensitivity to fringe fields of neighboring magnets (as the field required is weak)
- Spread due to vertical component of electron velocities (and vertical beam size)
- Little help for the space-charge effects electron trapping/additional kick in vertical direction





Conclusions:

- Better use strong B-field rathern than "one turn" field
- 0.2 T is not enough to counteract space charge effect for LHC beam.



What happens to electrons?



Electrons are trapped in bunch field for the time when bunch passes. They make several oscillations around bunch center. Complex movement!



More investigations – what happens to electrons?





Why profile deformation is complex?

Electron produced at: $x=\frac{1}{2}\pi\sigma_{\text{beam}}$, y=0 1.5 ns before the bunch center $v_{\text{ionization}}=0$

Electron is moving towards the detector when arriving bunch sucks it back so strongly that it is launched well above the bunch.

Large momentum transfer in transverse direction.

ExB drift pushes it ~1 mm along the beam.

<u>Final gyroradius:</u> 310 µm.





Why profile deformation is complex?

Electron produced at: $x=\frac{1}{2}\pi\sigma_{beam}$, y=0 1.25ns before the bunch center. $v_{ionization}=0$

Electron does not get as much initial kick as in the previous example and is trapped within the bunch (in both: horizontal and vertical directions). Inside the bunch the ExB drift and gyrations mix. Maximum transverse momentum is larger than in previous case but final p_{τ} is smaller.

Final gyroradius: 92 µm.





Why profile deformation is complex?

Electron produced at: $x=\frac{1}{2}\pi\sigma_{beam}$, y=0 1.0ns before the bunch center. $v_{ionization}=0$

On top of gyration and ExB drift electron experiences (probably) so called polarization drift:

$$v_{\text{polarization}} = \frac{m}{qB^2} \frac{\mathrm{d}\mathbf{E}_{\perp}}{\mathrm{d}t}$$



<u>Final gyroradius:</u> 120 µm.



Why profile deformation is complex?

Electron produced at: $x=\frac{1}{2}\pi\sigma_{beam}$, y=0 at the bunch center. $v_{ionization}=0$

Gyration and ExB drift. Transverse momentum transfer is very large.

<u>Final gyroradius:</u> 340 µm.







- unpractical solution: big and expensive magnet!

Correction methods: sampling gyroradius

- No simple analytic procedure/formula (as for electric field case) found
- Electron sieve
 - MS. et al., Investigation of the effect of beam spacecharge on electrons in ionization profile monitors, Proc. of HB2014 (MOPAB42)
 - D. Vilsmeier, CERN-THESIS-2015-035
 - technically difficult
- Methods based on Machine Learning algorithms: finding arbitrary mapping between distorted profile and original one.
 - R. Singh, M. S., D. Vilsmeier, Simulation supported profile reconstruction with machine learning, Proc. of IBIC17 (WEPCC06)
 - D. Vilsmeier et al., Reconstructing Space-Charge Distorted IPM Profiles with Machine Learning Algorithms, Proc. of IPAC 2018 (WEPAK008)



[a.u.]

10⁵

10⁴



initial

final

10³ gyroradius [µm]

0.1

0.15

x [mm]

Artificial Neural Network



- Machine Learning algorithms which can learn and make predictions on data, without explicit programming
- Biologically inspired → Brain cells -> neurons, computation via connections and thus Networks
- The basic node of ANNs is "Perceptron"



Perceptron parameters:

- Weights from the inputs (X) and bias (b)
- $\,\,{}^{\scriptscriptstyle >}\,\,g$ is the activation function, a step-like function with a threshold



[https://www.wired.com/2016/03/took-neuroscientists -ten-years-map-tiny-slice-brain] M. Sapinski 24

Hidden layers





• Each hidden layer and output layer node is a perceptron

$$\boldsymbol{o}_{i} = \boldsymbol{g}\left(\sum_{j=0}^{M} \boldsymbol{W}_{ij}\left(\boldsymbol{g}\left(\sum_{k=0}^{N} \boldsymbol{x}_{k} \boldsymbol{W}_{jk} + \boldsymbol{b}_{j}\right)\right) + \boldsymbol{b}_{i}\right)$$

Adding "hidden" layer(s) allow non-linear target functions to be represented

Multi-layer perceptron (MLP)





• Carla P Gomes, Lecture Notes CS 4700: Foundations of Artificial Intelligence

 Universal approximation theorem: Every bounded continuous "target" function can be approximated with arbitrarily small error, by network with single hidden layer [Cybenko 1989; Hornik et al. 1989]

If we have any unknown function, y = f(x, y, z...) it can be approximated by:

$$o_i = g\left(\sum_{j=0}^{M} W_{ij}\left(g\left(\sum_{k=0}^{N} x_k W_{jk} + b_j\right)\right) + b_i\right)$$
 universal approximator

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MLP Network training

- How it works:
 - Activation function g must be differentiable, eg. sigmoid or tanh.
 - Initial weights chosen randomly.
 - For training record (or a batch of records) a cost function (or loss or error) is calculated, for instance mean squared error:
 - ' (y-desired output, o-actual output)
 - The cost function gradient is calculated for each layer:

$$\frac{\delta E}{\delta W_{ij}^{1}} = a_{j} Err_{i}g'(inp_{i})$$

$$\frac{\delta E}{\delta W_{jk}^2} = x_k g' (inp_j) \sum_{j=0}^M W_{ij} Err_i g' (inp_i)$$

- New weights are calculated:
- Repeat for new record
 (but you can use the same record later again)

 α -learning rate

 $W(t+1) = W(t) + \alpha \frac{\delta E}{\delta W}$

 $E = \sum_{i=0}^{\infty} (y_i - o_i)^2$

inp,

 $o_i = g \left| \sum_{i=0}^{M} W_{ij} \right| g \left| \sum_{k=0}^{N} x_k W_{jk} + b_j \right| + b_i$



Neural network Zoo





Source: Fjodor Van Veen, Asimov Institute, Utrecht

... 20 more

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Profile correction using ANN (I)



First approach:

• Training sample on grid (375 points):

σ_x [mm]	0.29, 0.31, 0.33, 0.35, 0.37
σ_{y} [mm]	0.4,0.45,0.5,0.55,0.6
N _p [10 ¹¹]	1.1, 1.25, 1.40, 1.55, 1.7
$4*\sigma_z[ns]$	0.9, 1.05, 1.2

- 2-layer network, 4 validation samples:
 - 1%, 25%, 50% off
 - 100% off outside grid
- Convolute with Point Spread Function
- Use tensorflow and Matlab NN toolbox
- Value of σ_x restored with 1% accuracy!
- Good performance with noise.
- R. Singh, M. Sapinski, D. Vilsmeier, Simulation supported profile reconstruction with machine learning,

Proc. of IBIC17 (WEPCC06)



Profile correction using ANN (II)

Second approach:

- Training: sample of 13500 random points
- 4-layer network
- Validation set also random
- Verify also other Machine Learning algorithms:
- linear regression,
- kernel Ridge regression,
- support vector machine

D. Vilsmeier et al., *Reconstructing Space-Charge Distorted IPM Profiles with Machine Learning Algorithms*, Proc. of IPAC 2018, paper WEPAK008

Surprisingly: even linear regression gives very good results.

But we have not studied noise here

Table 2: Resulting Scores for the Different Models. Values are given in units of $1 \,\mu\text{m}$, $1 \,\mu\text{m}^2$ respectively.

	μ (res)	$\sigma({\rm res})$	R2	EV	MSE
LR	0.012	0.449	0.99976	0.99976	0.201
KRR	0.005	0.340	0.99986	0.99986	0.115
SVR	0.006	0.349	0.99985	0.99985	0.121
MLP	0.232	0.370	0.99977	0.99984	0.190





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Profile reconstruction using ANN

Third approach:

- Training: sample of 13500 random points (only gaussian profiles)
- 2-layer network
- Validation set also random, gaussian and non-gaussian
- Profile: 98 bins, 55 μm/bin
- Quality of profile reconstruction assessed using Mean Squared Deviations between real beam profile and corrected profile:

$$ext{MSE} = rac{1}{n}\sum_{i=1}^n (Y_i - \hat{Y_i})^2.$$

 Results for gaussian profiles: Very good profile shape reconstruction





M. Sapinski

Reconstructing the profile: generalized gaussian

$$rac{eta}{2lpha\Gamma(1/eta)}\;e^{-(|x-\mu|/lpha)^eta}$$



Generalized-gaussian profiles with beta=3 and 1.5



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Reconstructing the profile: q-Gaussian

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 $rac{\sqrt{eta}}{C_q}e_q(-eta x^2)$



• Used for beam halo parametrization, beta=0.6 and 2.0



Neural network trained only on gaussian profiles!

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Remark: measuring micrometer-size beams



- If we understand the beam profile deformation, we could use it to measure highbrightness beams smaller than the resolution of the detector.
- Example SwissXFEL: 5.8 GeV electron beam, 230 pC bunch charge,
 21 fs bunch length, 5-7 µm transverse size.
- Even if bunch size is 1/10th
 of detector resolution,
 the shape of the deformed
 profile strongly depends
 on the bunch size!
- Alternative to

R. Tarkeshian et al. Phys. Rev. X 8, 021039(beam width reconstruction based on ion energies)



Other examples of use of machine learning in beam instrumentation

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- For detection of failing
 Beam Position Monitors (BPM),
 optics correction
- BPM linearization
- Beam Loss Monitors:
 patter detection

9th International Particle Accelerator Conference ISBN: 978-3-95450-184-7 IPAC2018, Vancouver, BC, Canada JACoW Publishing doi:10.18429/JACoW-IPAC2018-WEPAF062

MACHINE LEARNING METHODS FOR OPTICS MEASUREMENTS AND CORRECTIONS AT LHC

E. Fol*, F. Carlier, J. Coello de Portugal, A. Garcia-Tabares Valdivieso, R. Tomás CERN, Geneva, Switzerland

Proceedings of BIW2012, Newport News, VA USA

MOPG020

APPLICATION OF NEURAL NETWORK ALGORITHMS FOR BPM LINEARIZATION*

J. Musson[#], C. Seaton, J. Yan, M. Spata, Thomas Jefferson National Accelerator Facility, Newport News, VA, 23606, U.S.A.

 Lot of studies in accelerator control, optimization, modelling and failure prediction.



Conclusions



- Beam size measurement of bright beams is challenging. Even magnetic
 IPMs suffer from measured profile deformation which is difficult to correct.
- Machine Learning algorithms perform very efficient profile correction.
- ML techniques become a standard tool for physicists and engineers.
- Sometimes they can give hint about simpler solutions (linear regression).
- > Can save lots of money (a set of 1T magnets for IPM ~ 5M€).
- Modern tools (eg. tensorflow+keras) are easy to use.
- In the field of Beam Instrumentation the use of these techniques is still in early phase.



Further reading and playing



- "How could a Kangaroo climb Everest?" about minimization algorithms:
 ftp://ftp.sas.com/pub/neural/kangaroos
- > ANN recognizing drawings: https://quickdraw.withgoogle.com
- Music composed by AI: http://www.flow-machines.com/ai-makes-pop-music/
- Unreasonable effectiveness of ANN:
 - http://karpathy.github.io/2015/05/21/rnn-effectiveness/
- E. Musk concerned about AI: https://www.youtube.com/watch?v=0NTb10Au-Ic
- AI algorithms in social media very interesting: https://www.ted.com/talks/zeynep_tufekci_we_re_building_a_dystopia_just_to_make_pe ople_click_on_ads
- > ANN playing with images:
- https://nerdist.com/why-are-googles-neural-networks-making-these-brain-melting-images

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Acknowledgments:

A. Reiter, P. Forck, K. Sato



Additional slides

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- Some algorithms known since 40's (Gauss Newton or Levenberg-Marquardt).
- Backpropagation with Gradient Descent developed in 70's

 speeds up in ANN training it triggered a wave of interest in ANN applications still most popular.

Single-turn magnetic field



Influence of vertical beam size







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- Algorithms which can learn and make predictions on data, without explicit programming.
- The term by Arthur Samuel (IBM) in 1959.
- Machine learning is closely related to computational statistics and to mathematical optimization.
- Data mining is a sub-field of Machine Learning known as unsupervised learning.
- Expert systems are made of digitized/encoded expert knowledge. They are not Machine Learning algorithms.
 Still useful is there is little data available for training.
 Mixed systems are also available.







From: https://www.solver.com/training-artificial-neural-network-intro

- There is no best answer to the layout of the network for any particular application. There are general rules:
 - As the complexity between input and output increases, the number of the perceptrons in the hidden layer should also increase.
 - If the process being modeled is separable into multiple stages, then additional hidden layer(s) may be required. Otherwise additional layers may simply enable memorization of the training set, and not a general solution effective with other data.
 - The amount of training data sets an upper bound for the number of perceptrons in the hidden layer(s).

If you use too many perceptrons the training set will be memorized.

->generalization of the data will not occur, making the network useless on new data sets.

Results



Validation "grid" (128 points)

4 validation data sets (inputs and outputs) created:

- > 1% off the training grid in each dimension (within in grid)
- > 25% off the training grid in each dimension
- > 50% off the training grid in each dimension
- > 100% off the training grid (the next point outside the grid)

For 12 runs: sigma systematically overestimated by 0.4% with error 0.8%

Much smaller than measurement errors!



Results



Removing the validation sample outside of "training" area



For 12 runs: sigma systematically overestimated by 0.05% with error 0.7%



Example 2: IPM profile corrections



- Using higher electric and magnetic fields (expensive, sometimes impractical).
- Electrons + electric and magnetic fields: Sieve method (deconvolve with PSF of radius of Gyration) – difficult in practice.

[Dominik Vilsmeier, Bachelor Thesis, CERN]

> Electric fields only (ions): several calibration/correction attempts.

[eg. R. E. Thern, PAC1987, J. Amundson et al., PRSTAB 6, 102801 (2003)]

Latest work: Assumption on input beam distribution (Generalized Gaussian) and iterative procedure for input reconstruction from distorted profile using the data generated from simulation tool.

[Jan Egberts, PhD Thesis, CEA Saclay]



Approximate target function $= g \left(\sum_{j=0}^{M} W_{ij} \left(g \left(\sum_{k=0}^{N} x_k W_{jk} + b_j \right) \right) + b_i \right)$

Solve optimization problem with training

$$E = \sum_{i=0}^{L} (y_i - o_i)^2 + \lambda \sum_{j=0}^{M} \sum_{k=0}^{N} (W_{ij})^2$$

Calculate gradient, update weights $\frac{\delta E}{\delta W_{ij}} = a_j Err_i g'(inp_i)$ $W_{ij}(t+1) = W_{ij}(t) + \alpha \frac{\delta E}{\delta W}$

Validate with other data, "validation data" to check the generalization or "learning"

If notschange the unper of units or architecture

- Supervised learning, unsupervise learning, reinforcement learning
- Batch learning, incremental learn
- Functions: Activation function, Target function, Objective or erro function
- Optimization: Gradient descent, Levenberg-Marquardt, Epoches, Learning rate, Momentum

For more: How could a Kangaroo climb Everest?

- ftp://ftp.sas.com/pub/neural/kangaroos
- Generalization: Cross validation, regularization, early stopping

Calculating backpropagation





$$o_{i} = g \left(\sum_{j=0}^{M} W_{ij} \left(g \left(\sum_{k=0}^{N} x_{k} W_{jk} + b_{j} \right) \right) + b_{i} \right) = g(s)$$

$$E = \sum_{i=0}^{L} \left(y_{i} - o_{i} \right)^{2} = E = (y - o)^{2}$$



 $\frac{\delta E}{\delta W_{ii}^1} = a_j Err_i g'(inp_i)$

Examples of ML-based projects (I)







- > Go is difficult for algorithms because of number of configurations (>2x10¹⁷⁰,chess only ~5x10⁵²), atoms in the Universe ~ 10^{80} .
- The program uses Artificial Neural Network for learning and Monte Carlo Tree Search for decide about next move.
- > 1 year learning time, 183 MWh energy, excessive data sample – not the way human learns, but:
 - AlphaGo won against the highest-qualified humans.
 - It has exhibited creative skills making moves seldom done by humans.